Black Holes: Theory, Observations & Applications Habilitandenkolloquium November 2010

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Simple idea:

Harmonic oscillator: take a physical system and shake it

Amazingly successful:

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QFT corrections to Hydrogen atom



Feynman diagrams contributing to Lamb shift

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Amazingly successful:

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- BCS theory of superconductors
- Standard Model of particle physics
- see also the TU Wien curriculum "Technische Physik"

Lectures in Bachelor curriculum containing harmonic oscillator

- Grundlagen Physik
- Praktische Mathematik
- Analysis
- Mechanik

- Mathematische Meth.
- Quantenmechanik
- Elektrodynamik
- Festkörperphysik

- Elektronik
- Atom,Kern,Teilchenph.
- Laborübungen
- div. Spezialvorlesungen

Appetizer, Part II Physics of the 21st century: black holes? [see colloquium by Strominger at Harvard]

Application of harmonic oscillator limited to perturbative phenomena

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Many physical systems require non-perturbative physics:

- QCD at low energies
- High T_c superconductors
- Graphene
- Cold atoms
- Gravity at high curvature

Generally speaking:

Strongly coupled systems require new techniques

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Punch-line of this talk:

Black hole holography can provide such a technique

Appetizer, Part III

Black holes have apparently paradoxical properties

Black holes: The simplest macroscopic objects in the Universe



Properties determined by:

- Mass M
- Angular momentum J
- Charge(s) Q

Black hole \sim elementary particle!

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Black holes: The most complicated objects conceivable



Quantum mechanics:

- Black holes radiate
- Black holes have entropy
- Black holes are holographic

Bekenstein–Hawking:

 $S_{BH} \sim A_{\rm hor}/4$



Brief history of black holes and observations

Theory and applications

Outline

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Theory and applications

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- S. Chandrasekhar (1931): Gravitational collapse of Fermi gas
- M. Kruskal; G. Szekeres (1960): Global structure of Schwarzschild

What is a black hole?

Fishy analogy (Bill Unruh '81):



The real stuff:



Above: black hole (NASA picture) Left: Waterfall

Analogy: Infinity \leftrightarrow Lake

Horizon \leftrightarrow Point of no return

Singularity \leftrightarrow Waterfall

Hydraulic jump as black hole analog [Jannes et al, PRL (2010)]



Schwarzschild black hole

Experimental evidence: perihelion shifts, light-bending, GPS, ...



Schwarzschild line-element (horizon at r = 2M):

$$ds^{2} = -\left(1 - \frac{2M}{r}\right) dt^{2} + \frac{dr^{2}}{1 - \frac{2M}{r}} + r^{2} d\theta^{2} + r^{2} \sin^{2}\theta d\phi^{2}$$

Milestones in the Classic Era

- R. Kerr (1963): Exact (and essentially unique) rotating (and charged) black hole solution sparks interest of astrophysics community
- Cygnus X-1 (1964): first detection of X-ray emission from a black hole in a binary system (though realized only in 1970ies that it might be black hole; conclusive evidence only in 1990ies)
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- ► N.I. Shakura and R.A. Sunyaev (1972): First accretion disk model
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- ▶ W. Unruh (1981): Black hole analogs in condensed matter physics
- R. Jackiw, S. Deser, C. Teitelboim et al. (1982): Gravity in lower dimensions

Black holes (relatively) simple to observe in binary systems:



Black hole observations

Confirmed stellar black holes in X-ray binaries

Objects whose mass is clearly beyond TOV limit $M > 3M_{\odot}$:

System	$P_{\rm orb}$	f(M)	Donor	Classification	M_x^{\dagger}
	[days]	$[M_{\odot}]$	Spect. Type		$[M_{\odot}]$
GRS 1915 $+105^{a}$	33.5	9.5 ± 3.0	K/M III	LMXB/Transient	14 ± 4
V404 Cyg	6.471	6.09 ± 0.04	K0 IV	.,	12 ± 2
Cyg X-1	5.600	0.244 ± 0.005	09.7 lab	HMXB/Persistent	10 ± 3
LMC X-1	4.229	0.14 ± 0.05	07 III		> 4
XTE J1819-254	2.816	3.13 ± 0.13	B9 III	IMXB/Transient	7.1 ± 0.3
GRO J1655-40	2.620	2.73 ± 0.09	F3/5 IV	,,	6.3 ± 0.3
BW Cir ^b	2.545	5.74 ± 0.29	G5 IV	LMXB/Transient	> 7.8
GX 339-4	1.754	5.8 ± 0.5	-	.,,	
LMC X-3	1.704	2.3 ± 0.3	B3 V	HMXB/Persistent	7.6 ± 1.3
XTE J1550-564	1.542	6.86 ± 0.71	G8/K8 IV	LMXB/Transient	9.6 ± 1.2
4U 1543-475	1.125	0.25 ± 0.01	A2 V	IMXB/Transient	9.4 ± 1.0
H1705-250	0.520	4.86 ± 0.13	K3/7 V	LMXB/Transient	6 ± 2
GS 1124-684	0.433	3.01 ± 0.15	K3/5 V	,,	7.0 ± 0.6
XTE J1859+226 ^c	0.382	7.4 ± 1.1	-	,,	
GS2000+250	0.345	5.01 ± 0.12	K3/7 V	.,	7.5 ± 0.3
A0620-003	0.325	2.72 ± 0.06	K4 V		11 ± 2
XTE J1650-500	0.321	2.73 ± 0.56	K4 V	.,	
GRS 1009-45	0.283	3.17 ± 0.12	K7/M0 V	.,	5.2 ± 0.6
GRO J0422+32	0.212	1.19 ± 0.02	M2 V	.,	4 ± 1
XTE J1118+480	0.171	6.3 ± 0.2	K5/M0 V	,,	6.8 ± 0.4

Source: J. Casares, astro-ph/0612312

Black holes in X-ray binaries particularly "simple" to detect

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Thermodynamics

Zeroth law:

T = const. in equilibrium

$T{:} \ {\tt temperature}$

Black hole mechanics Zeroth law:

 $\kappa = {\rm const.}\ {\rm f.}\ {\rm stationary}\ {\rm black}\ {\rm holes}$

 κ : surface gravity

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First law: $dE \sim TdS +$ work terms

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E: energy

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 $dA \ge 0$

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Thermodynamics

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Second law: dS > 0

Third law: $T \rightarrow 0$ impossible

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Black hole mechanics Zeroth law: $\kappa = \text{const. f. stationary black holes}$ First law: $dM \sim \kappa dA +$ work terms Second law: dA > 0Third law: $\kappa \to 0$ impossible κ : surface gravity

A: area (of event horizon)

Formal analogy or actual physics?

M: mass

Hawking effect

Black holes evaporate due to quantum effects!



Milestones in the Modern Era

- ► E. Witten et al. (1984): First superstring revolution
- M. Bañados, C. Teitelboim and J. Zanelli (1992): Black holes in three dimensions
- M. Choptuik (1993): Critical collapse in numerical relativity
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- ► J. Maldacena (1997): AdS/CFT correspondence
- S. Dimopoulos and G.L. Landsberg; S.B. Giddings and S. Thomas (2001): Black holes at the LHC?
- Saggitarius A* (2002): Supermassive black hole in center of Milky Way
- R. Emparan and H. Reall (2002): Black rings in five dimensions

Recent Milestones

- S. Hawking (2004): concedes bet on information paradox end of "black hole wars"
- P. Kovtun, D. Son and A. Starinets (2004): Viscosity in strongly interacting Quantum Field Theories from black hole physics
- F. Pretorius (2005): Breakthrough in numerical treatment of binary problem
- ► C. Barcelo, S. Liberati, and M. Visser (2005): "Analogue gravity"
- J.E. McClintock et al. (2006): Measuring of spin of GRS1915+105
 nearly extremal Kerr black hole!
- E. Witten (2007) and W. Li, W. Song and A. Strominger (2008): Quantum gravity in three dimensions?
- S. Gubser; S. Hartnoll, C. Herzog and G. Horowitz (2008): "Holographic superconductors"
- D. Son; K. Balasubramanian and J. McGreevy (2008): Black hole duals for cold atoms proposed
- O. Lahav, A. Itah, A. Blumkin, C. Gordon, and J. Steinhauer (2009): Sonic black hole in Bose-Einstein condensate



Brief history of black holes and observations

Theory and applications

Some properties of black holes (BHs):

- BHs are simple, much like elementary particles
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 Quantum-mechanically BH evaporation entails "information paradox"
 BHs are the simplest systems that allow to address conceptual problems of quantum gravity, for instance: unitarity of quantum gravity, microscopic understanding of BH entropy, holographic principle, modelling of BH evaporation, ...

Understanding quantum black holes and holography is milestone on road to quantum gravity!

Holography — Main idea aka gauge/gravity duality, aka AdS/CFT correspondence





One of the most fruitful ideas in contemporary theoretical physics:

► The number of dimensions is a matter of perspective

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- We can choose to describe the same physical situation using two different formulations in two different dimensions

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One of the most fruitful ideas in contemporary theoretical physics:

- The number of dimensions is a matter of perspective
- We can choose to describe the same physical situation using two different formulations in two different dimensions
- The formulation in higher dimensions is a theory with gravity
- > The formulation in lower dimensions is a theory without gravity

Boltzmann/Planck: entropy of photon gas in d spatial dimensions $S_{
m gauge} \propto {
m volume} \propto L^d$ Bekenstein/Hawking: entropy of black hole in d spatial dimensions $S_{
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Any consistent quantum theory of gravity could/should have a holographic formulation in terms of a field theory in one dimension lower

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Holographic principle is realized in string theory in specific way

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e.g.
$$\langle T_{\mu\nu} \rangle_{\text{gauge}} = T^{BY}_{\mu\nu} \qquad \delta(\text{gravity action}) = \int d^d x \sqrt{|h|} T^{BY}_{\mu\nu} \,\delta h^{\mu\nu}$$

Best studied realization of holography is AdS/CFT correspondence:

AdS is a negatively curved spacetime (maximally symmetric)



Open Universe Looking from inside, boundary at infinity Limit Circle IV, by M. C. Escher

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- AdS is a negatively curved spacetime (maximally symmetric)
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Conformal symmetry includes scaling symmetry

coordinates: $x^{\mu} \to \lambda x^{\mu}$ energy: $E \to E/\lambda$

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Idea: treat energy as the fifth coordinate Most general line-element compatible with symmetries:

$$ds^{2} = (E/L)^{2} \eta_{\mu\nu} dx^{\mu} dx^{\nu} + (L/E)^{2} dE^{2}$$

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This is precisely the line element of AdS in 1 dimension higher!

Understanding AdS/CFT as an RG flow [McGreevy, AHEP (2009)]

Convenient coordinate trafo: $z = L^2/E$

$$\mathrm{d}s^2 = (L/z)^2 \left(\eta_{\mu\nu} \,\mathrm{d}x^{\mu} \,\mathrm{d}x^{\nu} + \mathrm{d}z^2 \right)$$

Field theoretic interpretation: RG-flow!



...and why were there > 7000 papers on holography in the past 13 years?

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We can expect many new applications in the next decade!

Black holes in the lab: realistic scenarios

Creation of dual black holes – basic logic

- Gauge/gravity duality states that certain black hole configurations are equivalent to certain field theory configurations
- These field theory configurations can be produced experimentally

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Tentative evidence for creation of dual black holes: Ultra-relativistic heavy ion collisions at RHIC and LHC

Theory:
$$\frac{\eta}{s} = \frac{1}{4\pi}$$
 Experiment: $\frac{\eta}{s} \approx 0.1 \pm a$ lot

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Future possibilities for creation of dual black holes

- Cold atoms (warped AdS/non-relativistic CFT correspondence)
- Holographic superfluids/superconductors (gauge/gravity duality)
- Quenched disorder (AdS/logarithmic CFT correspondence)

Black holes group at TU Wien

Current members (in alphabetical order) and MISTI exchange students (third row)



Hamid Afshar



Sabine Ertl



Amy Cottle



Max Attems



Niklas Johansson



Ana-Maria Piso



Branislav Cvetkovic



Thomas Zojer



Zijie Zhou

Thank you for your attention!

